

HOMOGRAPHS

$H_{3 \times 3}$

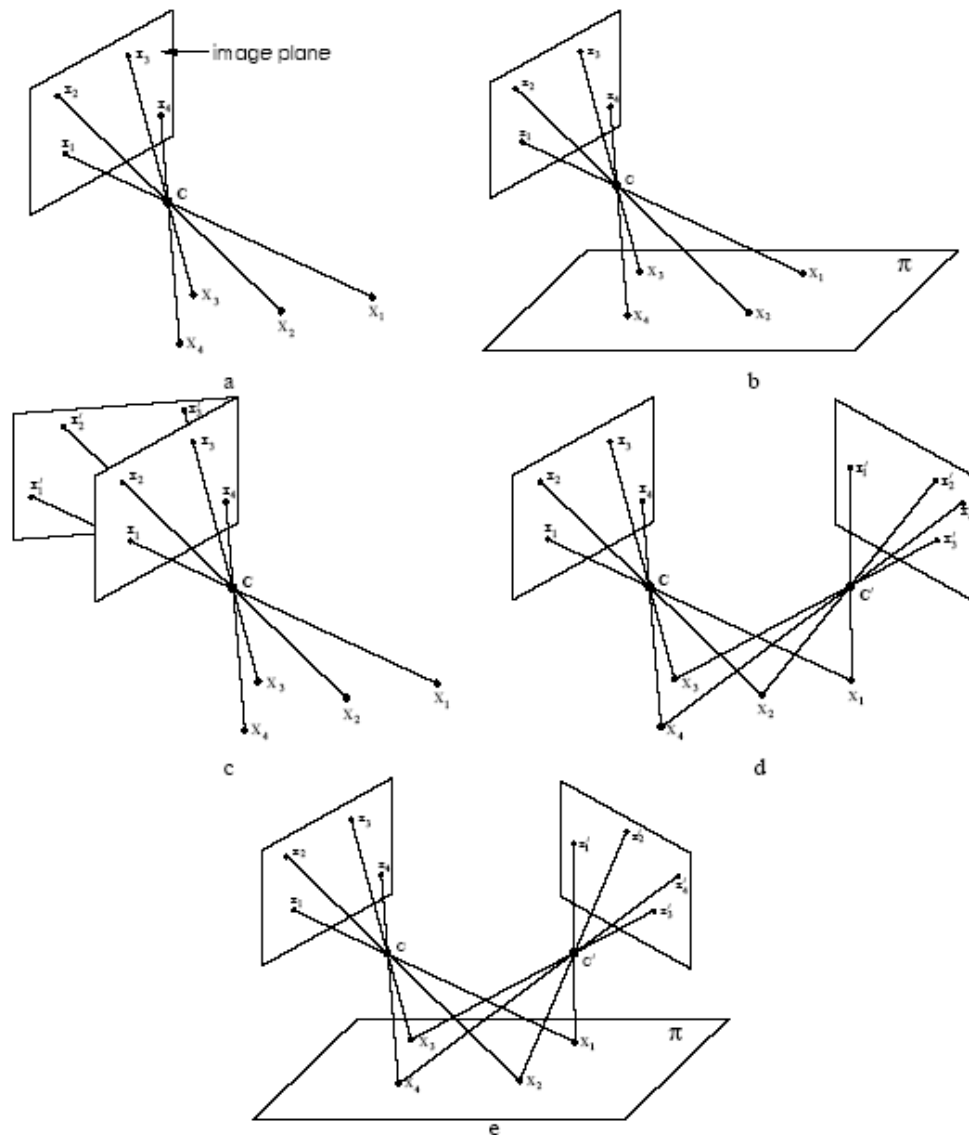


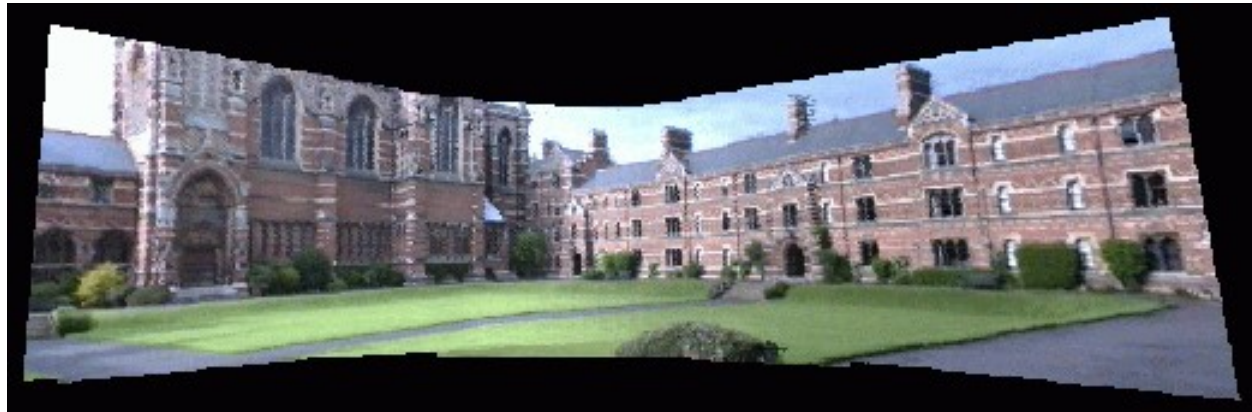
Fig. 1.1. **The camera centre is the essence.** (a) Image formation: the image points x_i are the intersection of a plane with rays from the space points X_i through the camera centre C . (b) If the space points are coplanar then there is a projective transformation between the world and image planes, $x_i = H_{3 \times 3} X_i$. (c) All images with the same camera centre are related by a projective transformation, $x'_i = H'_{3 \times 3} X_i$. Compare (b) and (c) – in both cases planes are mapped to one another by rays through a centre. In (b) the mapping is between a scene and image plane, in (c) between two image planes. (d) If the camera centre moves, then the images are in general not related by a projective transformation, unless (e) all the space points are coplanar.

GENERER DES VUES SYNTHETIQUES





MOSAIQUER





Original vue oblique

Original vue dessus



Vue de dessus
redressée

Proposez un algorithme pour estimer
l'Homographie à appliquer



Objective

Given $n \geq 4$ 2D to 2D point correspondences $\{\mathbf{x}_i \leftrightarrow \mathbf{x}'_i\}$, determine the 2D homography matrix H such that $\mathbf{x}'_i = H\mathbf{x}_i$.

Algorithm

- (i) For each correspondence $\mathbf{x}_i \leftrightarrow \mathbf{x}'_i$ compute the matrix A_i from (4.1). Only the first two rows need be used in general.
- (ii) Assemble the n 2×9 matrices A_i into a single $2n \times 9$ matrix A .
- (iii) Obtain the SVD of A (section A4.4(p585)). The unit singular vector corresponding to the smallest singular value is the solution \mathbf{h} . Specifically, if $A = UDV^T$ with D diagonal with positive diagonal entries, arranged in descending order down the diagonal, then \mathbf{h} is the last column of V .
- (iv) The matrix H is determined from \mathbf{h} as in (4.2).

Algorithm 4.1. *The basic DLT for H (but see algorithm 4.2(p109) which includes normalization).*